

F: Ford's Funny Fields

Problem author: David Ghiberdic, Rares Rauta



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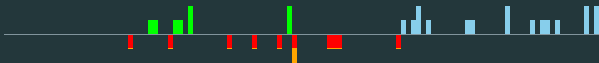
Bar chart showing the distribution of the number of children per family in 1990. The x-axis represents the number of children (0 to 6), and the y-axis represents the percentage of families. The distribution is skewed to the right, with a peak at 1 child (approximately 35%).

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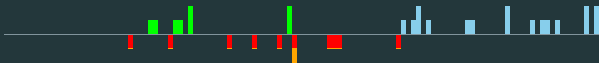
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Statistics: 36 submissions, 8 accepted, 17 unknown